

A photograph of a Space Shuttle in orbit above the Earth's cloud-covered surface. The shuttle is oriented diagonally, with its nose pointing towards the upper right. The white structure of the orbiter and external tank is clearly visible against the dark background of space and the blue and white of the planet below.

Understanding Combustion Processes Through Microgravity Research

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- Gravity influences combustion through
 - Buoyant convection
 - Deformation / dropping of liquid droplets
 - Sedimentation in multi-phase systems
- Eliminating gravity enables observation of processes overwhelmed by gravity on earth
- Applications
 - Spacecraft fire safety
 - Better understanding of combustion at earth gravity

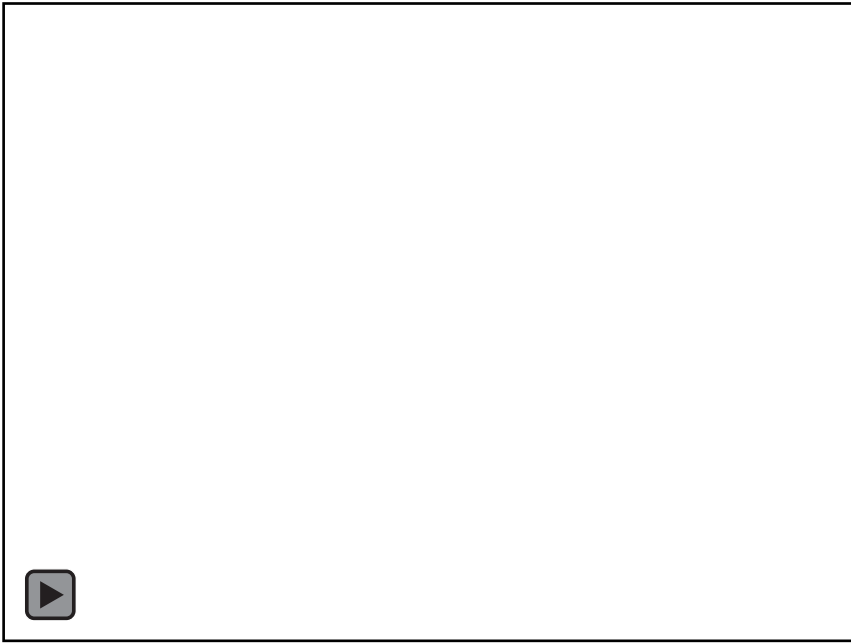
- Chemical time (t_{chem}) $\approx \delta/S_L \approx (\alpha/S_L)/S_L \approx \alpha/S_L^2$
 α = thermal diffusivity
 S_L = laminar flame speed ≈ 40 cm/s for stoichiometric hydrocarbon-air; ≈ 5 for near-limit mixtures
- Buoyant transport time $\approx d/U$; $U \approx (gd(\Delta\rho/\rho))^{1/2} \approx (gd)^{1/2}$
(g = gravity, d = characteristic dimension)
 - Inviscid: $t_{\text{inv}} \approx d/(gd)^{1/2} \approx (d/g)^{1/2}$
 - Viscous: $d \approx \nu/U \Rightarrow t_{\text{vis}} \approx (\nu/g^2)^{1/3}$ (ν = viscosity)
- Conduction time (t_{cond}) $\approx T_f/(dT/dt) \approx d^2/16\alpha$
- **Radiation time** (t_{rad}) $\approx T_f/(dT/dt) \approx T_f/(\Lambda/\rho C_p)$
 - Optically thin: $\Lambda = 4\sigma a_p(T_f^4 - T_\infty^4)$ (radiative loss rate / volume)
(a_p = Planck mean absorption coefficient)
 $\Rightarrow t_{\text{rad}} \sim P/\sigma a_p(T_f^4 - T_\infty^4) \sim P^0$, P = pressure

Time scale	Stoich. flame	Limit flame
Chemistry (t_{chem}) or diffusion (t_{diff})	0.00094 s	0.25 s
Buoyant, inviscid (t_{inv})	0.071 s	0.071 s
Buoyant, viscous (t_{vis})	0.012 s	0.010 s
Conduction (t_{cond}), $d = 5$ cm	0.95 s	1.4 s
Radiation (t_{rad})	0.13 s	0.41 s

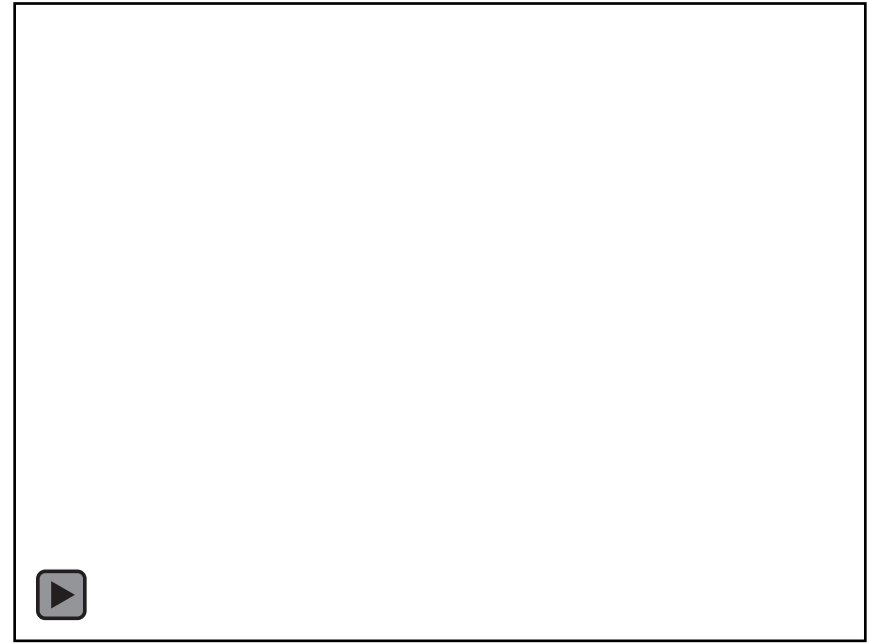
➤ Conclusions

- Buoyancy unimportant for near-stoichiometric flames
($t_{\text{inv}} \& t_{\text{vis}} \gg t_{\text{chem}}$)
- Buoyancy strongly influences near-limit flames at 1g
($t_{\text{inv}} \& t_{\text{vis}} < t_{\text{chem}}$)
- Radiation effects unimportant at 1g ($t_{\text{vis}} \ll t_{\text{rad}}$; $t_{\text{inv}} \ll t_{\text{rad}}$)
- Radiation effects dominate flames with low S_L ($t_{\text{rad}} \approx t_{\text{chem}}$), but only observable at μg
- Radiation > conduction only for $d > 3$ cm
- Radiation time scale t_{rad} is small enough (≈ 1 s) that radiation effects on flames can be observed in drop tower experiments
- Reynolds number $\sim Vd/\nu \sim (gd^3/\nu^2)^{1/2} \Rightarrow$ turbulent flow unavoidable at 1g for large systems ($d > 10$ cm)

- Limit composition, propagation speed, and shape depend on orientation - *buoyancy effects*



Upward propagation



Downward propagation

- Big tube, no gravity – extinction caused by radiative loss

$$(t_{\text{chem}} \approx t_{\text{rad}})$$

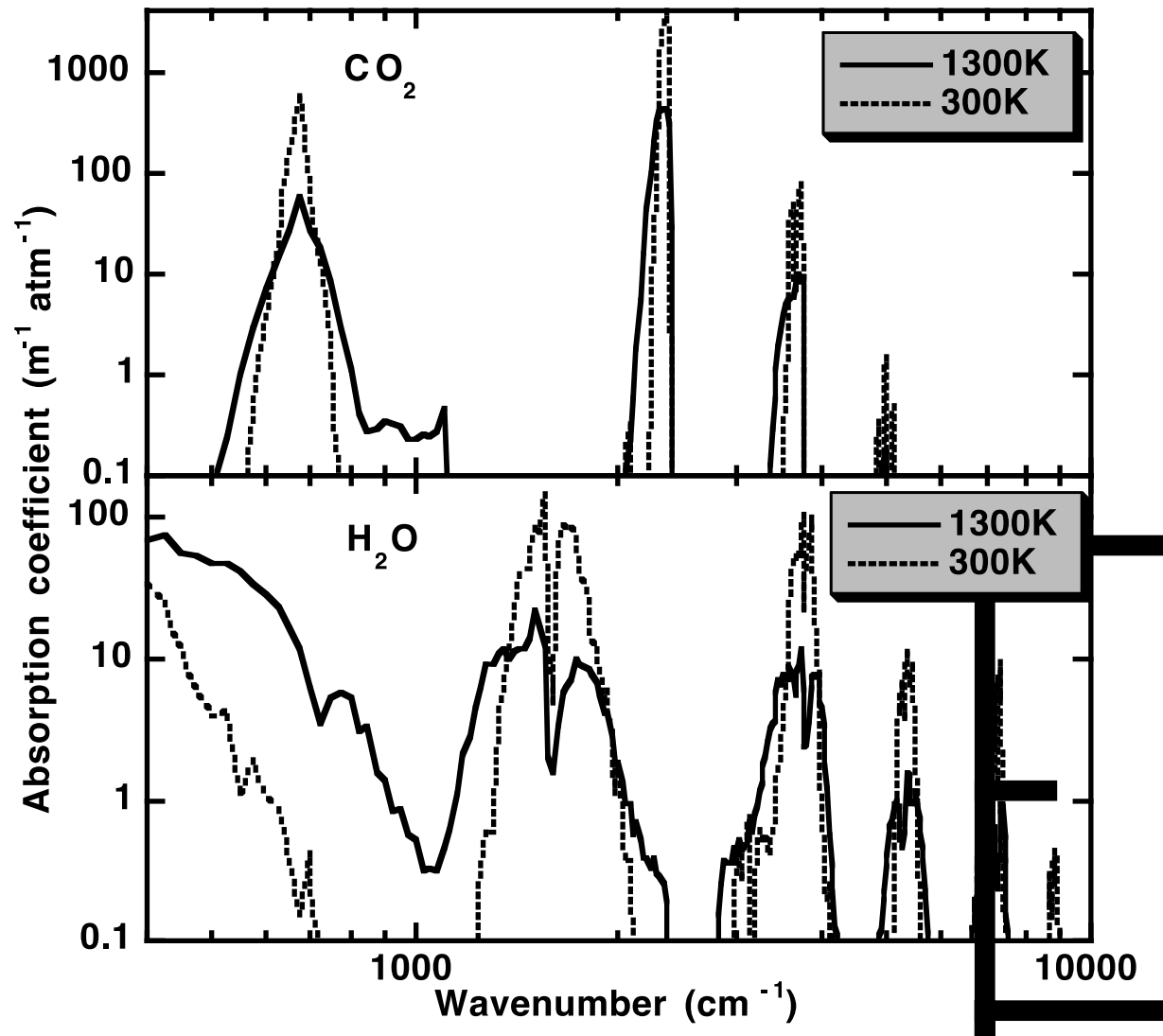
$$S_{L,\text{lim}} = \frac{1}{\rho_{\infty} C_p} \sqrt{\frac{1.2 \beta \Lambda \lambda_f}{T_f}} \quad (\text{no reabsorption})$$

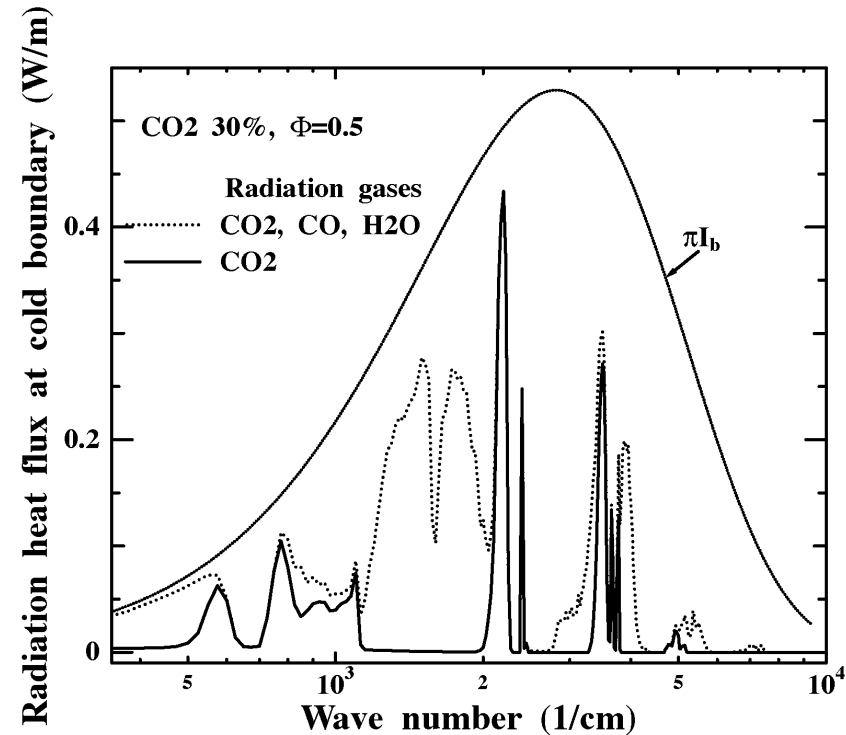
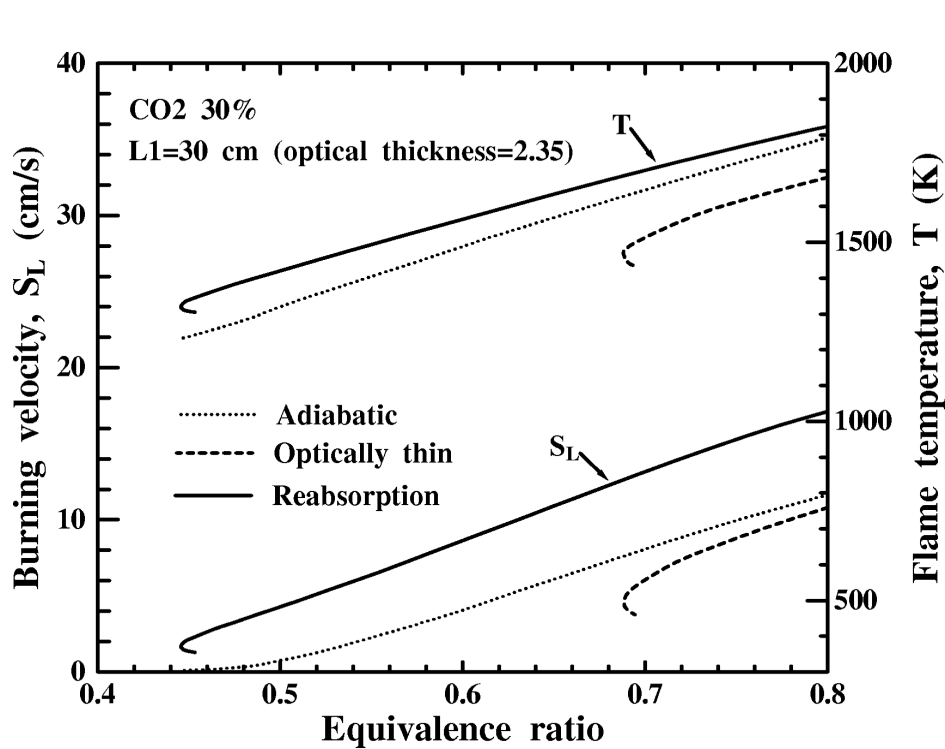
- prediction consistent with μg experiments

$$\text{Impact of heat loss} \sim \frac{\text{Heat loss}}{\text{Heat release}} \sim \frac{T^2}{e^{-E/RT}} \quad \uparrow \text{ as } T \downarrow$$

- **Reabsorption** significant when $a_p^{-1} < d$
 - Extends limits & increases S_L – theoretically no limit with graybody absorbers
 - Gases – spectral radiation – 2 mechanisms allow radiation to escape even with reabsorption
 - » Absorption spectra of products different from reactants
 - » Spectra broader at high T than low T

Absorption spectra of H_2O & CO_2





Methane-air mixtures with 30% of N_2 replaced with CO_2 , 1 atm

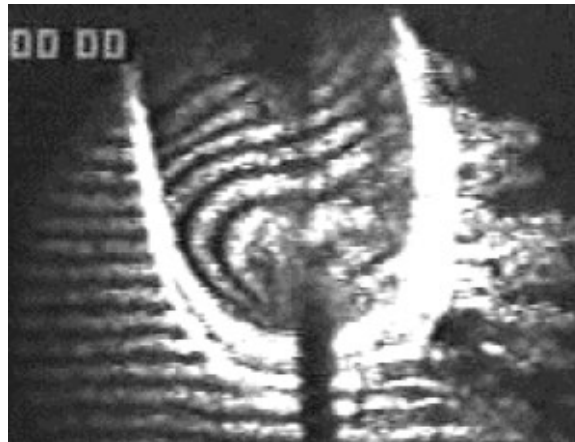
- Flame spread rate (S_f) with opposing flow U , infinite-rate kinetics (mixing limited)

$$S_f = \frac{\pi}{4} \frac{\lambda_g}{\rho_s C_{p,s} \tau_s} \frac{T_f - T_v}{T_v - T_\infty} \quad (\text{thin fuel}) - \text{independent of } P \text{ and } U$$

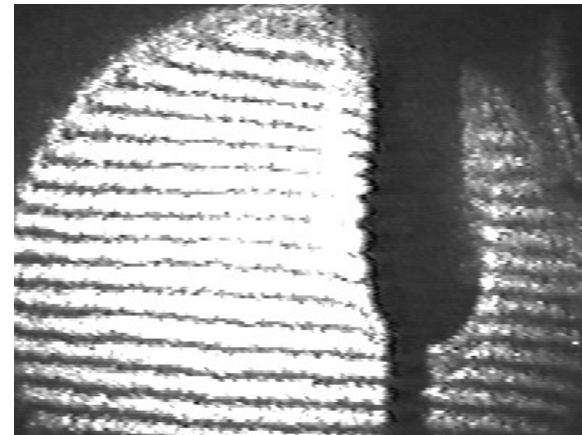
$$S_f = U \frac{\lambda \rho C_P}{\lambda_s \rho_s C_{p,s}} \left(\frac{T_f - T_v}{T_v - T_\infty} \right)^2 \quad (\text{thick fuel}) - S_f \sim P^1 U^1$$

- Diffusive transport time scale (t_{diff}) $\approx \delta/U \approx \alpha/U^2$
- Heat loss parameter $H \sim t_{\text{diff}}/t_{\text{rad}} = \alpha/U^2 t_{\text{rad}} \sim P^{-1} U^{-2}$
 - Optically-thin: S_f lower at μg : $U = S_f \ll U(1\text{g}) \Rightarrow$ higher H
 - Dual-limit behavior
 - » Large U : residence-time limited: $t_{\text{diff}} \leq t_{\text{chem}}$
 - » Small U : heat loss: $t_{\text{diff}} \geq t_{\text{rad}}$
 - » Most robust $U \approx 10 \text{ cm/s}$ - less than 1g buoyant flow!
- Radiation not all lost if ambient atmosphere absorbs
 - $\text{O}_2\text{-N}_2$, $\text{O}_2\text{-He}$, $\text{O}_2\text{-Ar}$: $S_f(1\text{g}) > S_f(\mu\text{g})$ due to radiative loss
 - $\text{O}_2\text{-CO}_2$, $\text{O}_2\text{-SF}_6$: $S_f(1\text{g}) < S_f(\mu\text{g})$ due to reabsorption
 - International Space Station uses CO_2 fire extinguishers!

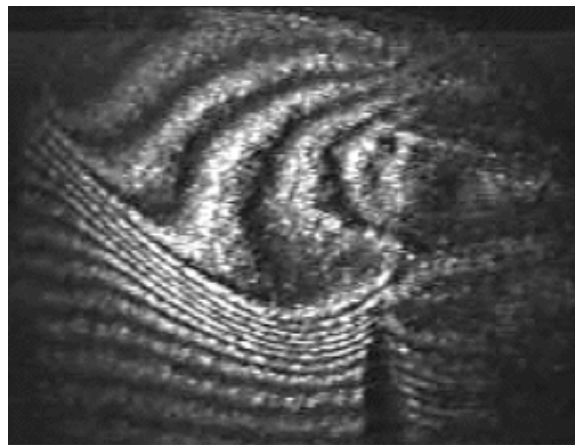
Flame spread - 1g vs. μ g, optically-thin vs. thick



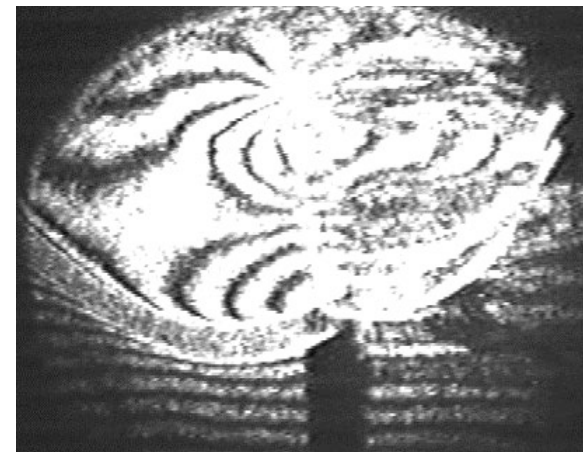
30% O₂ in N₂, 1g



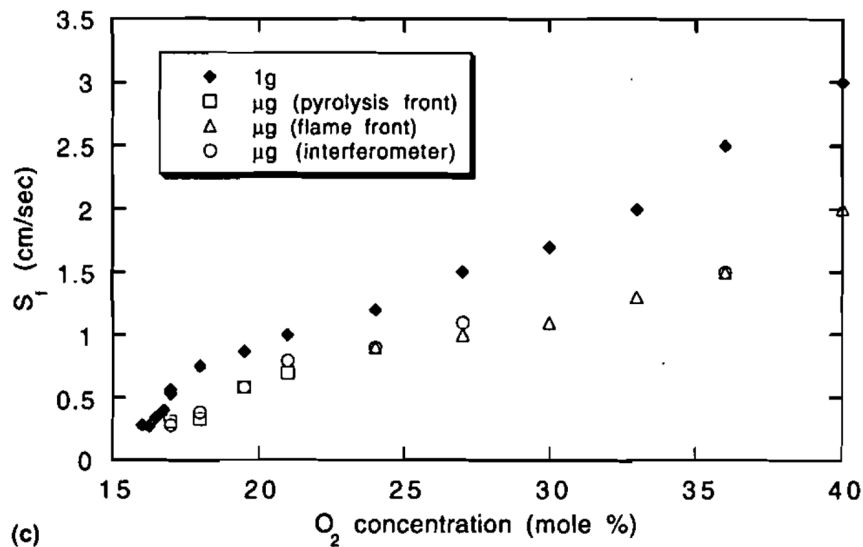
42% O₂ in SF₆, 1g



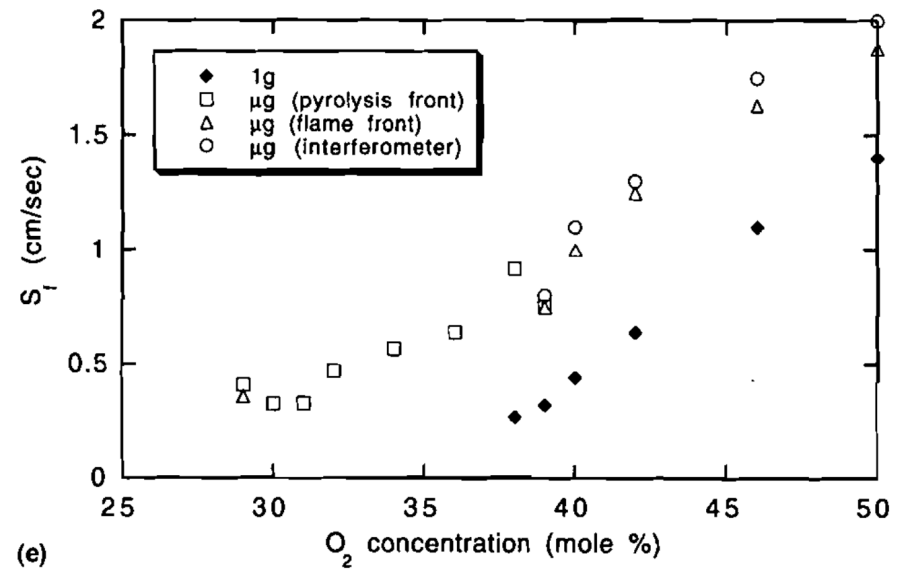
30% O₂ in N₂, μ g



42% O₂ in SF₆, μ g



N_2 inert

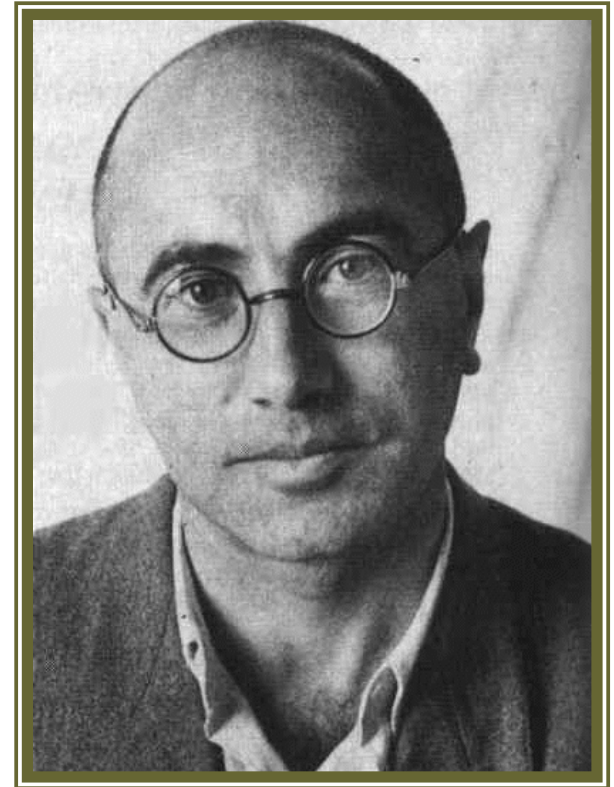


SF_6 inert

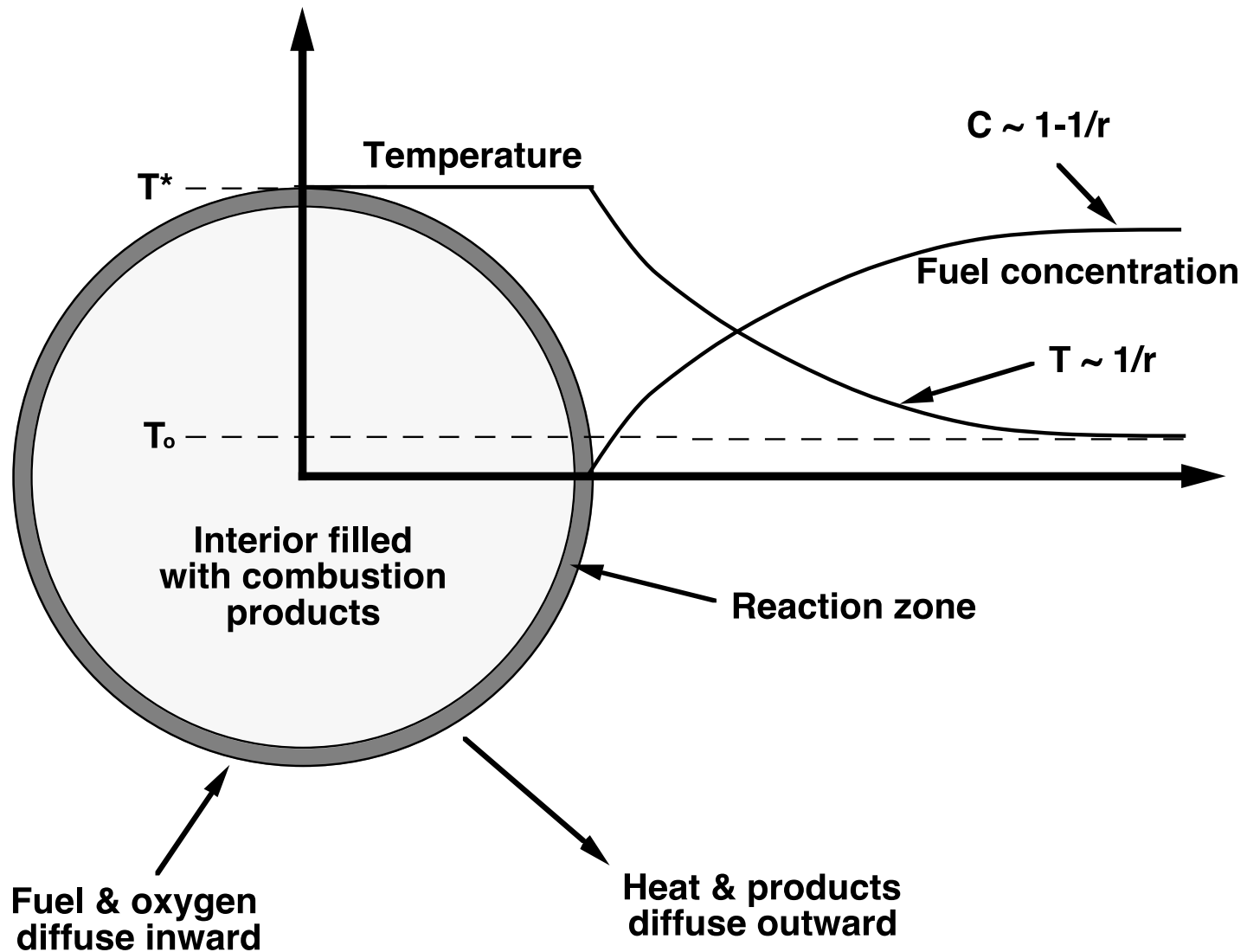
- What we have learned from μg combustion research?
 - Time scales
 - » *when buoyancy, radiation, etc. is important*
 - Radiative loss – gas-phase & soot
 - » *causes many of the observed effects on burning rates & extinction conditions*
 - Dual limits (high-speed blow-off & low-speed radiative)
 - » *seen for practically all types of flames studied to date*
 - Spherical flames (flame balls, droplets, \approx candle flames)
 - » *long time scales, large domains of influence, radiative loss*
 - Oscillations near extinction
 - » *Common, not yet fully understood*
 - Thermophoresis in sooting flames
 - » *Affects net heat release, soot oxidation, radiative loss*
- Challenges
 - Reabsorption of emitted radiation – scale and spectrum-dependent
 - Chemistry of near-limit mixtures
 - Soot formation, accumulation, oxidation, radiation

BACKUP SLIDES

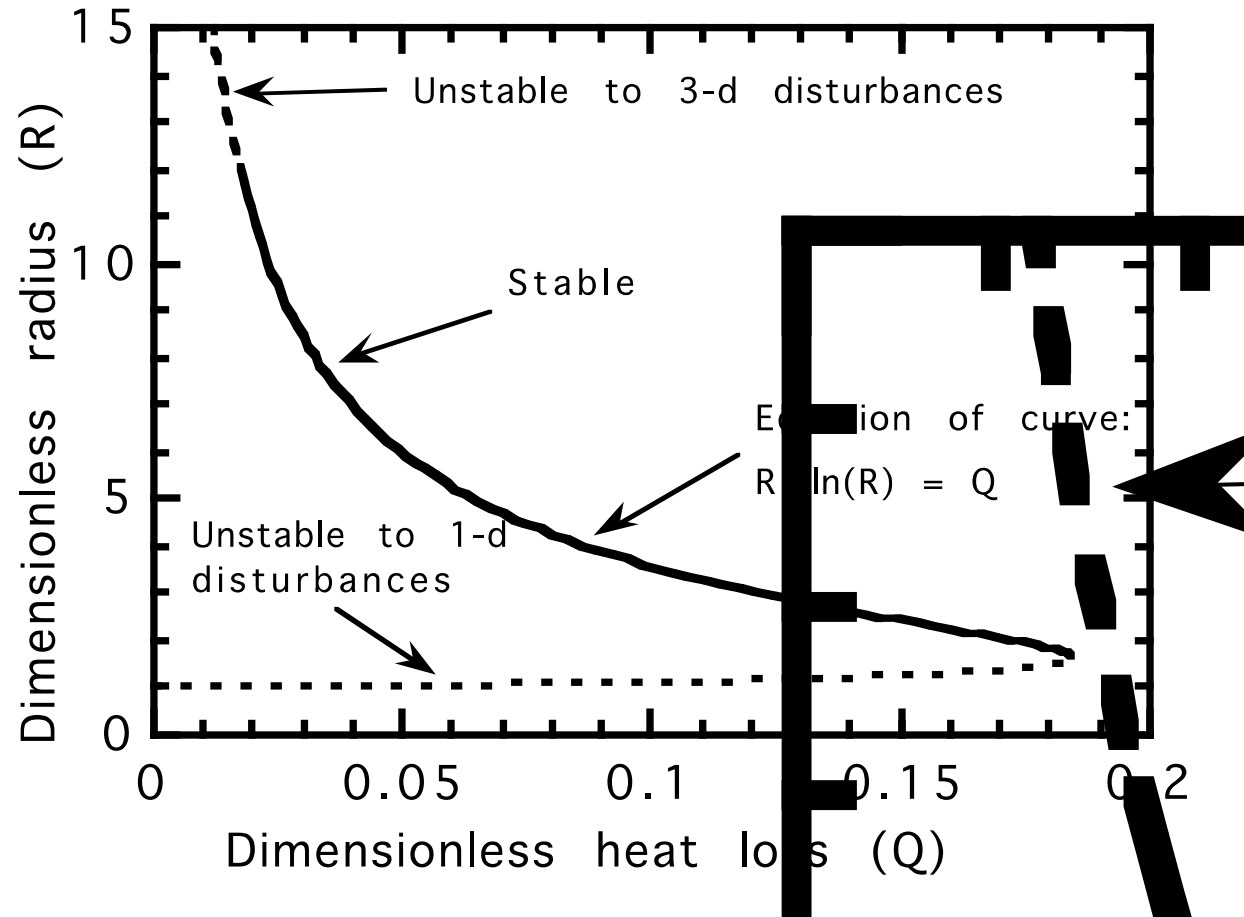
- Zeldovich, 1944: stationary spherical flames possible since $\nabla^2 T$ & $\nabla^2 C = 0$ have solutions for *unbounded* domain in spherical geometry
- Mass conservation requires $U \equiv 0$ everywhere (no stretch) – only diffusive transport
- $T \sim 1/r$ - unlike propagating flame where $T \sim e^{-r}$ - dominated by $1/r$ tail (with r^3 volume effects!)
- Buckmaster, 1985; Joulin, 1985: adiabatic flame balls are *unstable*



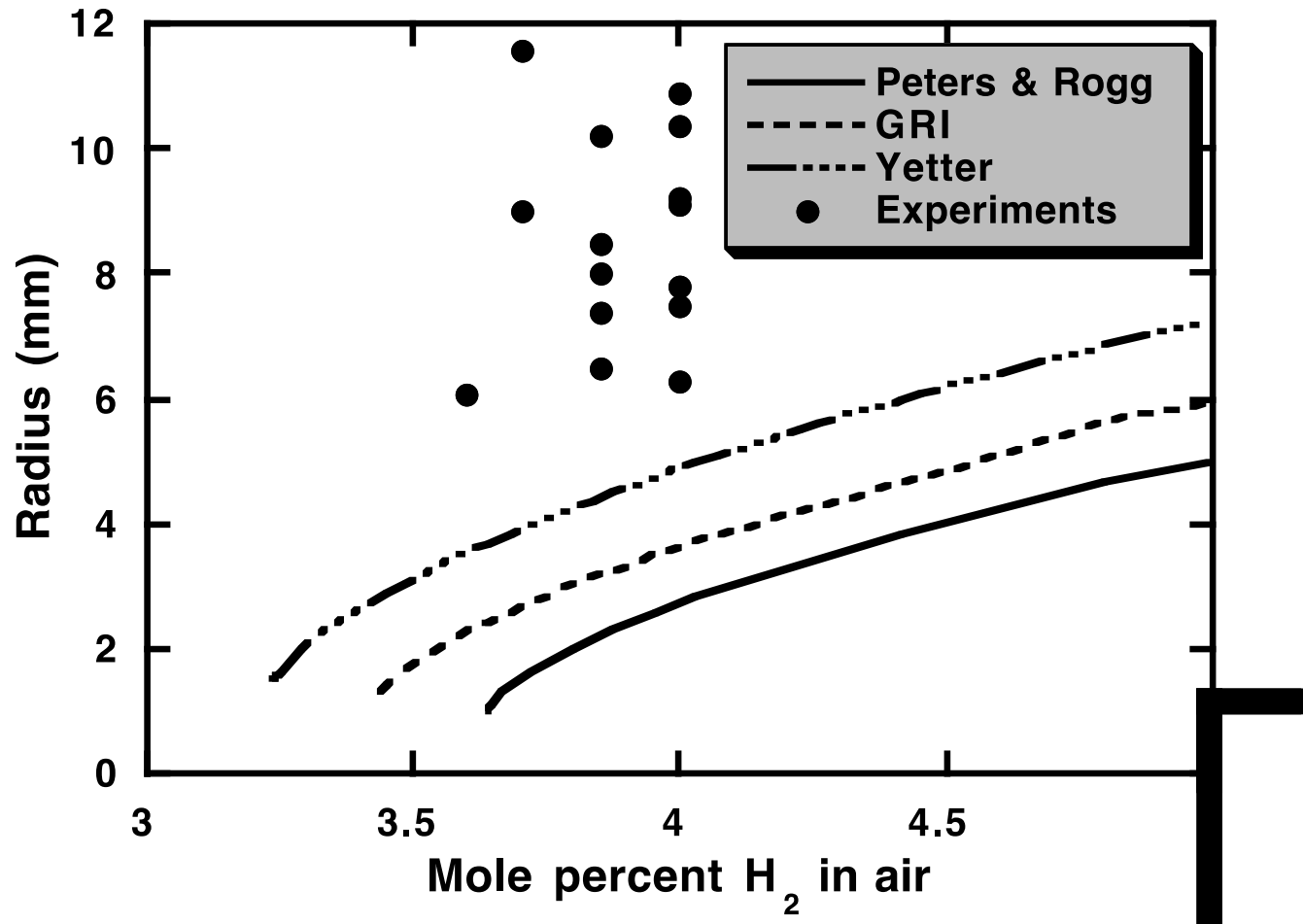
Flame ball schematic



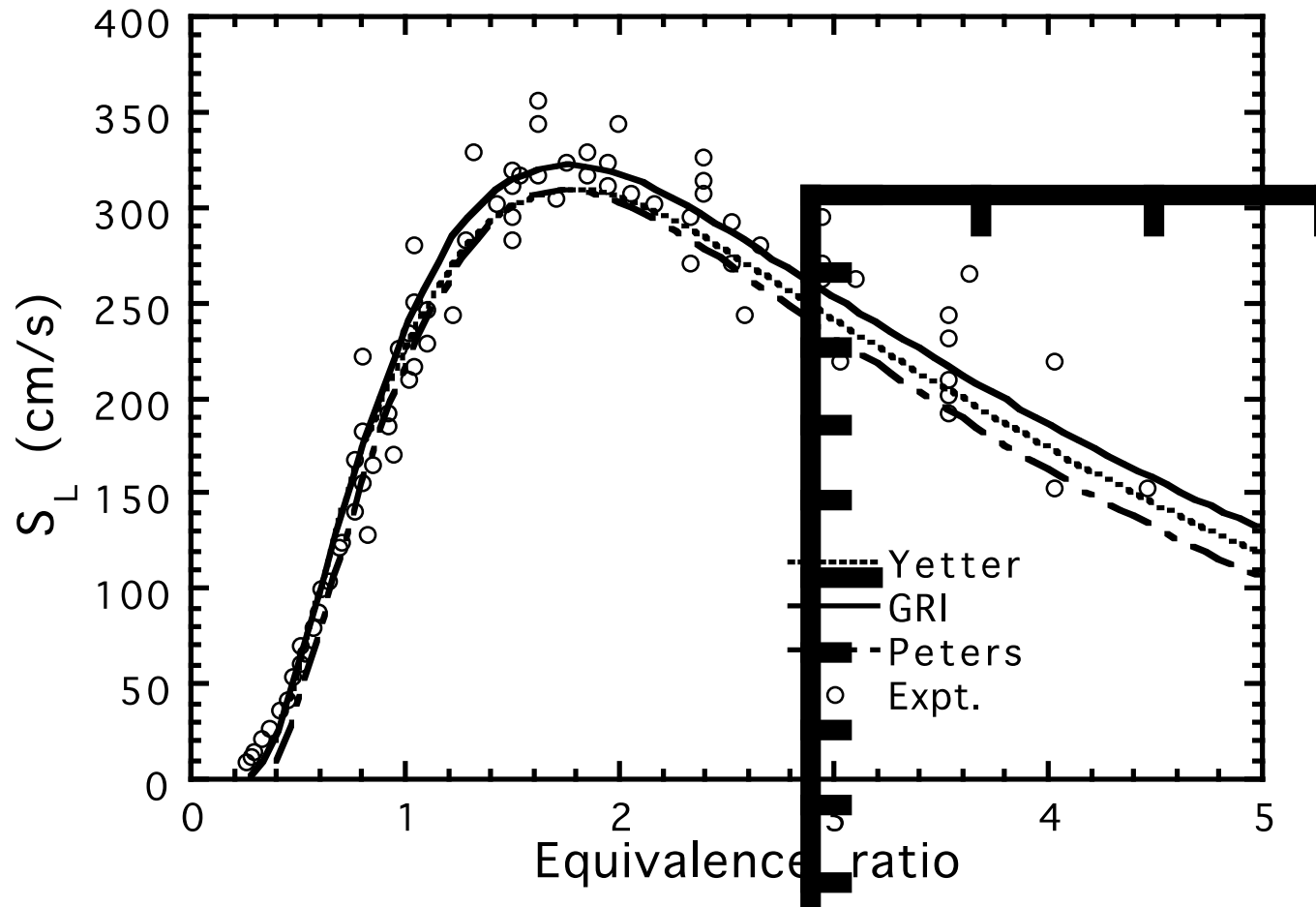
- Ronney (1990): seemingly stable, stationary flame balls accidentally discovered in drop-tower experiment
- Confirmed in parabolic aircraft flights (Ronney *et al.*, 1993)
- Only seen at μg , low Le , near extinction limits
- Space experiments (STS-83 & 94, 1997)
 - Stable for > 500 seconds (!)
 - Weakest flames ever burned (1 – 2 Watts/ball)
 - Very long evolution time scales $\sim (\beta r^*)^2 / \alpha \approx 100$ s
- Buckmaster, Joulin & collaborators: window of *stable* conditions with radiative loss & low Le
- Detailed numerical modeling (Yale, USC)
 - Dual limits
 - Unsatisfactory agreement with experiment
 - Results sensitive to $H + O_2 + H_2O \rightarrow HO_2 + H_2O$
 - Reabsorption effects in H_2 - O_2 - CO_2 & H_2 - O_2 - SF_6 mixtures
 - ???



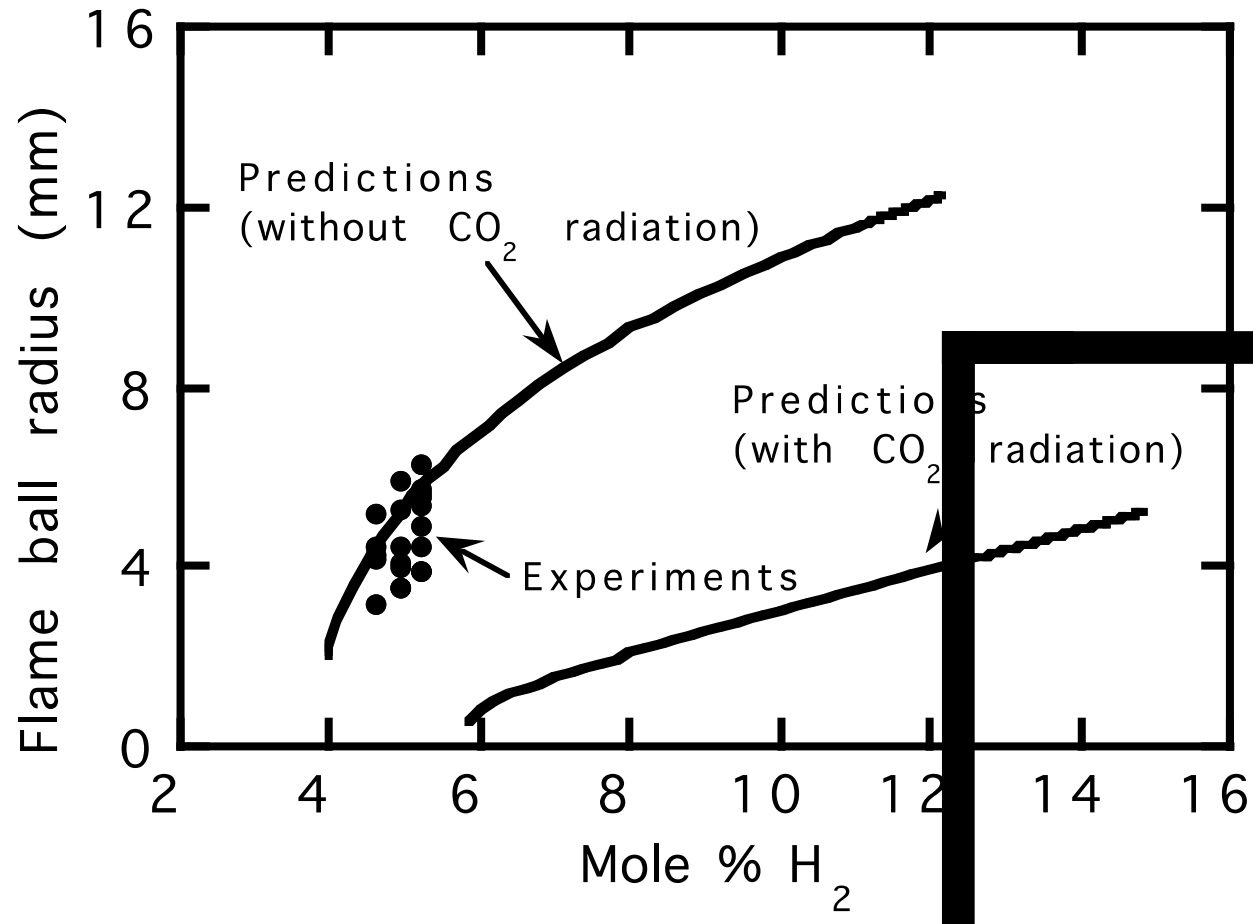
Buckmaster, Joulin, Ronney (1990)



H_2 -air mixtures, 1 atm



H_2 -air mixtures, 1 atm



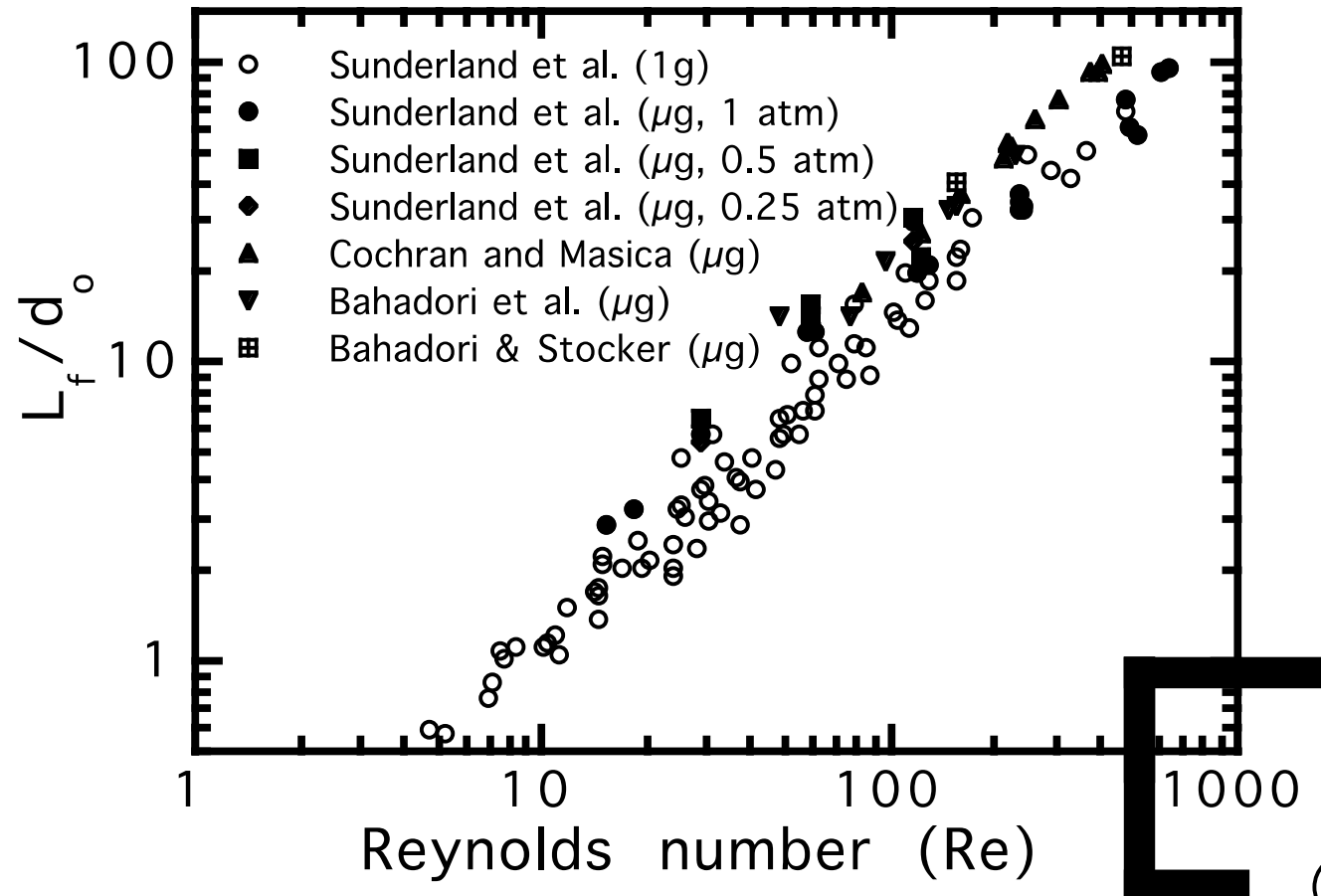
H_2 - O_2 - CO_2 mixtures ($H_2:O_2 = 1:2$)

- Counterflow flames
 - Nonpremixed flames – less freedom of movement – flame must lie where stoichiometric flux ratio maintained
 - Radiating gas volume \sim flame thickness $\sim (\alpha/\Sigma)^{1/2}$
- Computations & μg experiments – simple C-shaped dual-limit response
- Conductive loss to burners at low Σ ? $(\Sigma_{\min})^{-1} \approx t_{\text{cond}}$

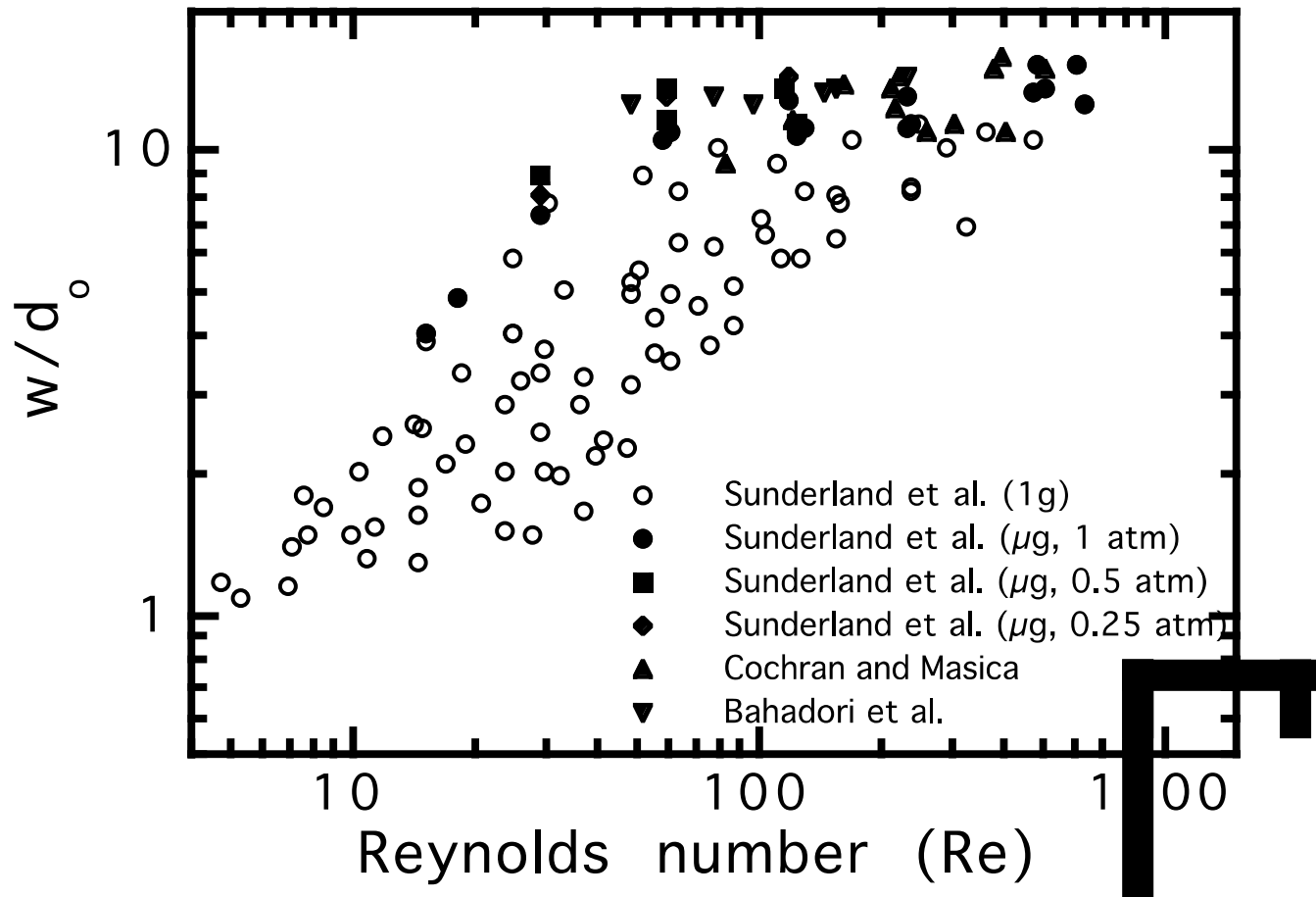
- Flame height (L_f) and residence time (t_{jet}) determined by equating diffusion time (d^2/D) to convection time (L_f/U)
- Mass conservation: $U(0)d(0)^2 \sim U(L_f)d(L_f)^2$ (round jet); $U(0)d(0) \sim U(L_f)d(L_f)$ (slot jet)
- Buoyant flow: $U(L_f) \sim (gL_f)^{1/2}$; nonbuoyant: $U(L_f) = U(0)$

Geometry	Flow	L_f	t_{jet}
Round-jet	Momentum	$U_o d_o^2 / D$	d_o^2 / D
Round-jet	Buoyant	$U_o d_o^2 / D$	$(U_o d_o^2 / g D)^{1/2}$
Slot-jet	Momentum	$U_o d_o^2 / D$	d_o^2 / D
Slot-jet	Buoyant	$(U_o^4 d_o^4 / D^2 g)^{1/3}$	$(U_o^2 d_o^2 / g^2 D)^{1/3}$

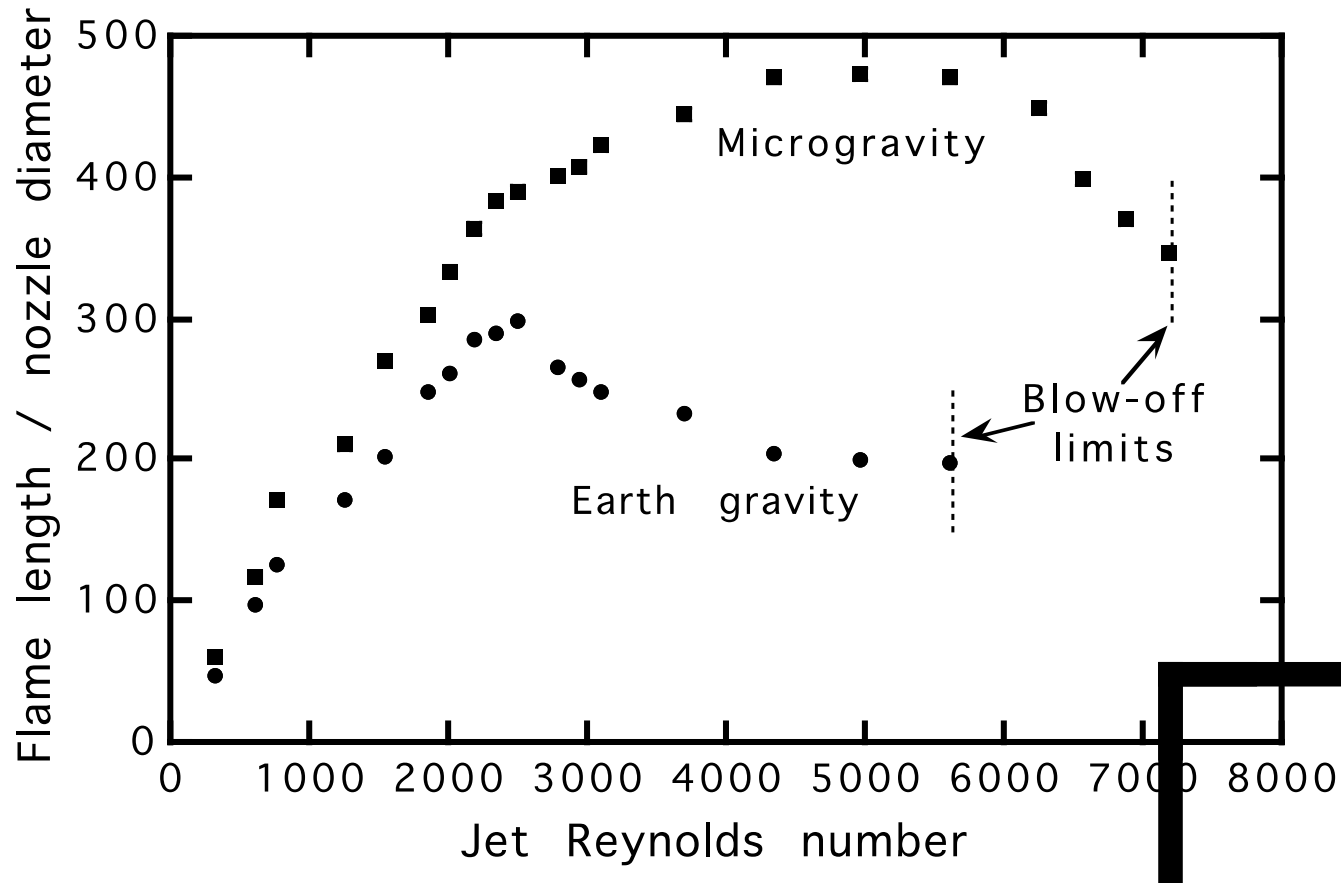
- $L_f \approx$ same at 1g or μg for round jet (what about slot jet?)
- t_{jet} larger at μg than 1g for round jet
 - ⇒ Larger μg flame width $\sim (Dt_{jet})^{1/2}$ - greater difference at low Re due to axial diffusion & buoyancy effects
 - ⇒ Greater radiative loss fraction at μg ($\approx 50\%$ vs. 8%)
- Turbulent flames: $D \sim u' L_l$; $u' \sim U_o$; $L_l \sim d_o$
 - ⇒ $L_f \sim d_o$ (independent of Re)
 - Differences between 1g & μg seen even at high Re - buoyancy effects depend on entire plume
- Soot formation
 - Typically greater at μg due to larger t_{jet} - outweighs lower T
 - Smoke points seen at μg - WHY???
 - » $t_{jet} \sim U_o^{1/2}$ for buoyant flames BUT...
 - » t_{jet} independent of U_o for nonbuoyant flames !
 - » Axial diffusion effects negligible at $Re > 50$
 - Thermophoresis effects - concentrates soot in annulus



Sunderland *et al.* (1998) - CH_4/air



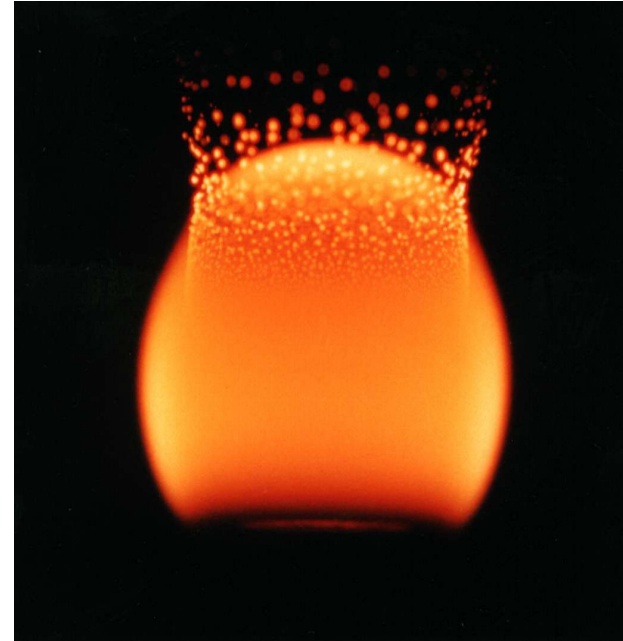
Sunderland et al. (1998) - CH_4/air



Bahadori *et al.* (1997) - C_3H_8/air



1g



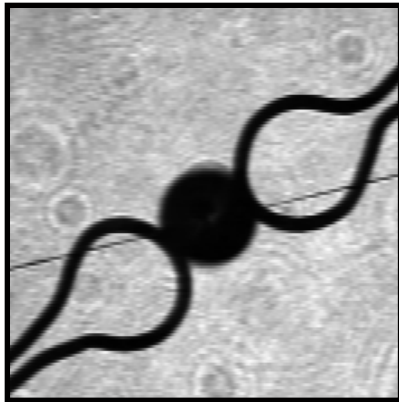
μg

n-butane in air, 10mm diameter jet, $Re = 42$

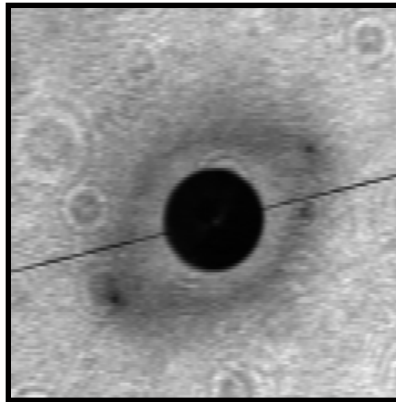
Fujita *et al.*, 1997

- Spherically-symmetric model (Godsave, Spalding 1953)
 - Steady burning possible - similar to flame balls
(large radii: transport diffusion-dominated)
 - Mass burning rate = $(\pi/4)\rho_d d_d K$; $K = (8\lambda/\rho_d C_p) \ln(1+B)$
 - Flame diameter $d_f = d_d \ln(1+B) / \ln(1+f)$
 - Regressing droplet: $d_{d0}^2 - d_d(t)^2 = Kt$ if quasi-steady
- 1st μg experiment - Kumagai (1957) - $K(\mu\text{g}) < K(1\text{g})$
- Dual-limit behavior
 - Residence-time limited (small d_d): $t_{\text{drop}} = d_f^2/\alpha \leq t_{\text{chem}}$
 - Heat loss (large d_d): $t_{\text{drop}} \geq t_{\text{rad}}$
 - Radiative limit at large d_d confirmed by μg experiments

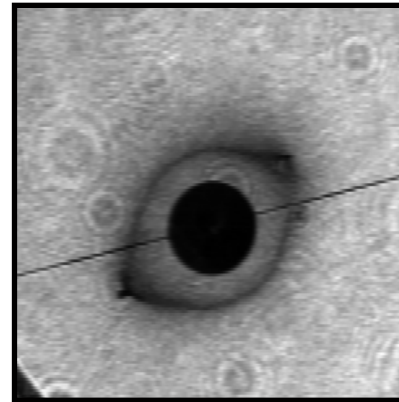
- Large droplets not quasi-steady
 - Extinction occurs at sufficiently large d_d , but d_d decreases during burn - quasi-steady extinction not observable
 - K & d_f/d_d not constant - depend on d_{do} & time
 - Large time scale for diffusion of radiative products to far-field & O_2 from far-field
 - Soot accumulation dependent on d_{do}
 - Absorption of H_2O from products by fuel



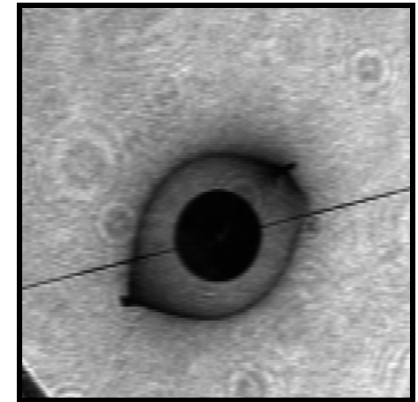
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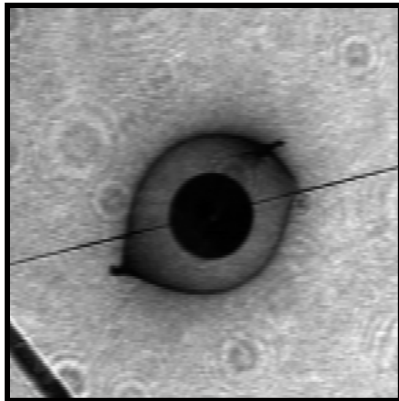
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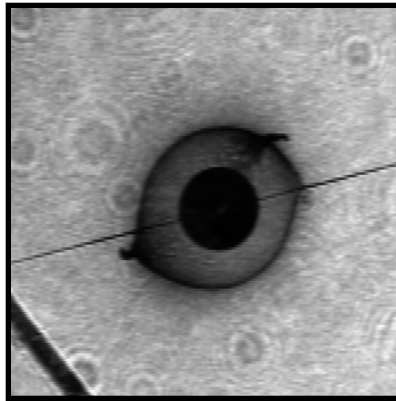
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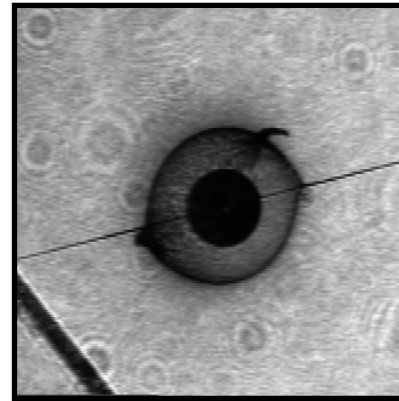
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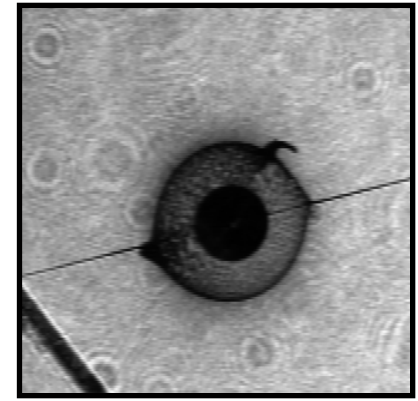
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n-heptane in air (Lee *et al.*, 1998)

- Radiative reabsorption effects
 - Apparently seen in particle-seeded premixed-gas flames, flame balls, thin-fuel flame spread
 - Easier to study at μg - no interference from turbulence
 - Relevant to IC engines, large furnaces, EGR, flue-gas recirculation
 - May occur in other μg flames, *e.g.*
 - » Droplet combustion - Stefan flow at surface limits conductive flux - $\ln(1+B)$ term; radiation not affected

$$\Omega = \ln\left(1 + \frac{B}{1 - R/\Omega}\right); R \equiv \frac{q_r d_d C_P}{2\lambda L_V}; \Omega \equiv \frac{K\rho_d C_P}{8\lambda}$$

- » Flame spread over thick fuels - could lead to steady spread even at μg in $\text{O}_2\text{-CO}_2$, $\text{O}_2\text{-SF}_6$

$$S_f = \left[\frac{\Lambda \alpha_g^2}{\sqrt{\alpha_g \rho_s C_{P,s} \lambda_s (T_v - T_\infty)} - \lambda_g (T_f - T_v)} \right]^{1/2}$$

- Need faster computational models of radiative transport!

- High-pressure combustion
 - Buoyancy effects ($t_{\text{chem}}/t_{\text{vis}}$) increase with P for weak mixtures
 - Reabsorption effects increase with P
 - Turbulence more problematic
 - Few μg studies - mostly droplets
- 3-d effects
 - Flame spread - effects of fuel bed width
 - Flame balls - breakup of balls
- Gas-jet flames at μg
 - Soot formation - what causes smoke points at μg ???
 - Slot jet vs. round-jet
 - Radiative extinction at large $d(0)$?

- Spherical diffusion flames - porous sphere experiment
 - Liquid or gaseous fuel
 - Could provide quasi-steady spherical nonpremixed flame
 - Increase fuel mass flow slowly until extinction
 - Difficult experimentally - long times, large chamber
 - Initial results with gaseous fuel - steady-state not reached - should use diluted fuel & enriched O_2 - increases f , reduces $d_f \Rightarrow$ smaller t_{drop}
- “Catalytic flame ball”
 - 1d, steady catalytic system
 - Radius known, T_* and Y_* unknown
 - Extract overall surface reaction rates

$$\Theta(Y_s, T_s) = \rho_s D_s r_s Y_\infty (1 - Y_s / Y_\infty) / M; \quad \frac{Y_s}{Y_\infty} = 1 - Le \left(\frac{T_s - T_\infty}{T_{ad} - T_\infty} \right) \left(1 + \frac{\sigma \varepsilon_s r_s (T_s^4 - T_\infty^4)}{\lambda_s (T_s - T_\infty)} \right)$$

- Chemical models
 - Many μg combustion phenomena of interest occur near extinction limits
 - Sensitive to chemical mechanism - branching vs. recombination
 - $\text{H} + \text{O}_2 + \text{M} \rightarrow \text{HO}_2 + \text{M}$ identified for further study
 - Could Chaperon efficiency relative to N_2 be temperature dependent?

- Nonuniform flow, unsteady/curved flames: “flame stretch”

$$\Sigma \equiv \frac{1}{A} \frac{dA}{dt} \quad (A = \text{flame area})$$

- Strong stretch ($\Sigma^{-1} \approx t_{\text{chem}}$) extinguishes flames
- Moderate stretch strengthens flames for $Le < 1$

$$Le \equiv \frac{\text{Thermal diffusivity of the bulk mixture } (\alpha)}{\text{Mass diffusivity of scarce reactant into the bulk mixture } (D)}$$

- Spherical expanding flames, $Le < 1$: stretch allows flames to exist in mixtures below radiative limit until r_f too large & curvature benefit too weak

$$\Sigma \equiv \frac{1}{A} \frac{dA}{dt} = \frac{1}{4\pi r_f^2} \frac{d}{dt} (4\pi r_f^2) = \frac{2}{r_f} \frac{dr_f}{dt}$$

Dual limit: radiation at large r_f , curvature-induced stretch at small r_f (ignition limit)

- Counterflow configuration (Tohoku group)
 - $\Sigma = dU/dy$ – flame located where $U = S_L$
- Increased stretch pushes flame closer to stagnation plane
 - Decreased volume of radiant products
- Similar Le effects as curved flames
- Results
 - Dual limits
 - Flammability extension even for $Le > 1$
 - Multiple solutions (which ones are stable?)
- Dual limits & Le effects seen in μg experiments, but evidence for multivalued behavior inconclusive